# Networking the Yield Curve: Implications for Monetary Policy

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# The Yield Curve and Monetary Policy

- ► We introduce a flexible, time-varying network model to trace the propagation of interest rate surprises across different maturities.
- This allows us to assess the role and interplay of all dimensions of monetary policy:
  - 1. Conventional (short-term interest rate targeting)
  - 2. Unconventional (QE or direct targeting of the yield curve)
  - 3. Forward guidance (communicating the path of future policy rates)
- Forward guidance and overall market conditions can determine the spillover intensity of the network.
- How do monetary policy surprises (e.g., deviations from expectations in the 3-month Tbill or 5-year Treasuries) spillover across different maturities? How does forward guidance affect these spillovers?

# Contribution

Contributions are twofold:

#### Methodology:

- Novel econometric framework allowing for endogenous and asymmetric spillovers.
- We demonstrate model properties and identification via simulation studies.

#### Economics:

- New, innovative way to *jointly* model interest rate surprises across different maturities.
- Framework for assessing of how different dimensions of monetary policy affect these joint dynamics.

#### Starting Point: Dynamic Spatial Lag Model

$$y_{i,t} = \rho_t \sum_{j=1}^n w_{ij} y_{j,t} + \sum_{k=1}^K x_{ik,t} \beta_k + e_{i,t}, \qquad e_{i,t} \sim N(0; \Sigma)$$

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where

- >  $\rho_t$  is scalar time-varying spatial dependence or network intensity coefficient,
- $w_{ij}$ , j = 1, ..., n, are nonstochastic spatial weights with  $w_{ii} = 0$ ,
- ▶  $x_{ik,t}$ , k = 1, ..., K are individual-specific regressors,
- >  $\beta_k$  are unknown coefficients (common across *i*'s),
- Σ is a diagonal covariance matrix.

### **Dynamic Spatial Lag Model**

Matrix notation:

$$y_t = \rho_t \underbrace{Wy_t}_{\text{'spatial lag'}} + X_t\beta + e_t \text{ or}$$
$$y_t = Z_t X_t\beta + Z_t e_t, \quad \text{with } Z_t = (I_n - \rho_t W)^{-1}.$$

 $\Rightarrow$  Model is **nonlinear** and captures **feedback** from shocks ( $e_t$ ) as well as the regressors ( $X_t$ ):

$$y_t = X_t\beta + \rho_t W X_t\beta + \rho_t^2 W^2 X_t\beta + \dots + e_t + \rho_t W e_t + \rho_t^2 W^2 e_t + \dots$$

 $\Rightarrow$  Typically restrict  $|\rho_t| < 1$  to make sure shocks die out over space.

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### **Unobserved, Asymmetric Weights**

$$y_t = \rho_t W y_t + X_t \beta + \epsilon_t, \quad \epsilon_t \sim N(0; \Sigma),$$

▶ Multinomial specification of *w*<sub>ij</sub>:

$$w_{ii} = 0$$
, and  $w_{ij} = rac{\exp\left(-d_{ij}
ight)}{\sum_{k 
eq i} \exp\left(-d_{ik}
ight)}, \ i 
eq j$ 

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where  $d_{ij}$  are freely estimated parameters.

Score-driven approach:

 $\rho_t = h(f_t)$  with  $h(\cdot) = \gamma tanh(\cdot)$ ,  $0 < \gamma < 1$ .  $f_t$  is assumed to follow a dynamic process

$$f_{t+1} = d + as_t + bf_t + r'_t c,$$

where d = 1 - b, *a*, *b*, *c* are unknown parameters.

#### **Application: Yield Curve Surprises**

- Joint dynamic model for interest rate surprises, allowing for asymmetric connections across maturities.
- Dependent variable: Survey-implied surprises (consensus, realizations – 6-months-ahead expectations) of interest rates from the Blue Chip Financial Forecasts (BCFF).
- Seven maturities: 3m, 6m, 1y, 2y, 5y, 10y, 30y.
- ▶ Unit-specific regressors: Lagged yield changes.
- ▶ Fundamentals and forward guidance can affect spillover intensity.
- Sample: March 1988 April 2016.

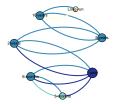
### **Dynamic Network of Yield Curve Surprises**

Estimated Weights Matrix

Network Graph

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	3m	6m	1y	2у	5у	10y	LR
3m	0	1.00	0	0	0	0	0
6m	0.20	0	0.80	0	0	0	0
1y	0.10	0.34	0	0.56	0	0	0
2у 5у	0	0	0.58	0	0.42	0	0
5у	0	0	0	0.43	0	0.57	0
10y	0	0	0	0	0.63	0	0.37
LR	0	0	0	0	0	1.00	0

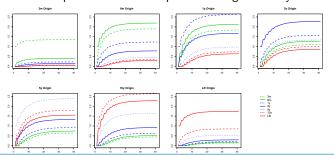


- There is sparsity in the network and adjacent maturities are more important for each other contemporaneously.
- Intensity of the network is high, on average.
- Controlling for forward guidance improves the fit.

## **Spatial Responses**

 To showcase the network, we obtain spatial responses reflecting rounds of spillovers. 9

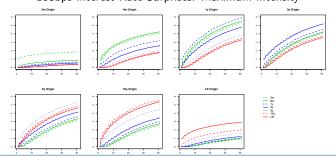
 One can look at short-term monetary policy surprises, long- or medium-term ones, or combinations (e.g., Operation Twist).



100bps Interest Rate Surprises: Average Intensity

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100bps Interest Rate Surprises: Maximum Intensity

# **Spatial Responses**

- Operation Twist: network intensity of 0.95, shocks to match the observed daily changes in the bond markets on announcement on September 21, 2011
- a positive shock to the three-month T-bill rate of 1bps & a negative shock to the 10-year bond yield of 5bps

Network Responses to Operation Twist

