

Expecting the unexpected: Economic growth under stress

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Contribution

A new measure of economic growth vulnerability

Growth in Stress (GiS)

- Vulnerability refers to the exposure of the economy to stressful, rare, and catastrophic shocks, e.g., COVID-19
- Measuring vulnerability is important for the construction of resilience policies.
- Policy makers should be prepared in advance for **extreme shocks** and ready to implement corrective measures.

Definition of Growth-in-Stress (GiS)

$$\begin{aligned} GiS_{t+h} &= \min q_{\tau}(y_{t+h|t}) \\ \text{s.t. } g(F_t, \alpha) &= 0 \end{aligned}$$

- **Factor-augmented τ -quantile regression** as a function of latent (unobservable) factors F_{it} :
(typically $\tau=5\%$)

$$q_{\tau}(y_{t+h|t}) = \mu_{\tau}^{(h)} + \phi_{\tau}^{(h)} y_t + \sum_{i=1}^r \beta_{\tau,i}^{(h)} F_{it} + v_{\tau,t+h}$$

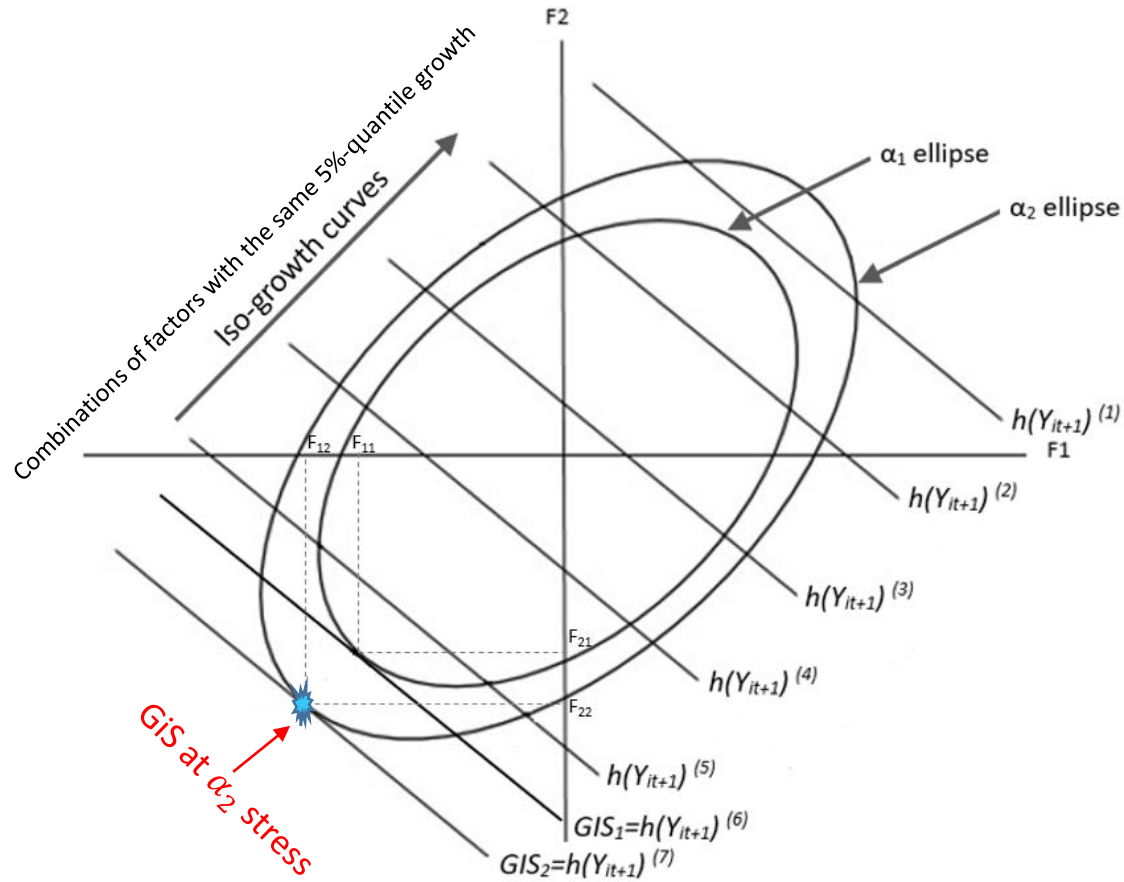
F_{it} extracted from a set of N variables, X_t .

- **Multivariate probability density function of latent factors F_{it} :**

$g(F_t, \alpha)$ is a the centered α -probability contour of F_{it} ,
(e.g., ellipsoid containing the true factor vector with probability α)

α selects the probabilistic stress scenarios (rare events)
(e.g. 95%-probability contour of F_{it})

Graphical Representation of Growth-in-Stress (GiS) – 2 factor case



US Growth-in-Stress (GiS)

- **Extraction of Factors from the following data sets:** (quarterly data from 2005Q1 to 2020Q2)

X_1 : Local financial variables, $N_1 = 105$

(same variables as those used to construct Chicago Fed's Financial Conditions Index, NFCl, as in Adrian, Boyarchenko and Giannone, 2019, *AER*)

X_2 : Global financial variables, $N_2 = 208$ (Arregui et al., 2018, *WP*)

X_3 : Local macroeconomic variables, $N_3 = 248$ (McCracken and Ng, 2016, *JBES*)

X_4 : Global macroeconomic variables, $N_4 = 63$ (González-Rivera, Maldonado and Ruiz, 2019, *IJF*)

- **Extraction of Factors based on Multi-level Dynamic Factor Model : 5 factor model selected**

$$\begin{bmatrix} X_{2t} \\ X_{3t} \\ X_{4t} \end{bmatrix} = \begin{bmatrix} \lambda_{11} & \lambda_{12} & \lambda_{13} & 0 & 0 \\ \lambda_{21} & 0 & 0 & \lambda_{24} & 0 \\ \lambda_{31} & \lambda_{32} & 0 & 0 & \lambda_{35} \end{bmatrix} \begin{bmatrix} F_{1t} \\ F_{2t} \\ F_{3t} \\ F_{4t} \\ F_{5t} \end{bmatrix} + \begin{bmatrix} \varepsilon_{2t} \\ \varepsilon_{3t} \\ \varepsilon_{4t} \end{bmatrix}$$

F_{1t} is a pervasive factor that loads on **all variables** in the system

F_{2t} is a semi-pervasive factor that loads on **world** (global financial and macro) variables

F_{3t} (global financial), F_{4t} (local macro) and F_{5t} (global macro) are non-pervasive factors.

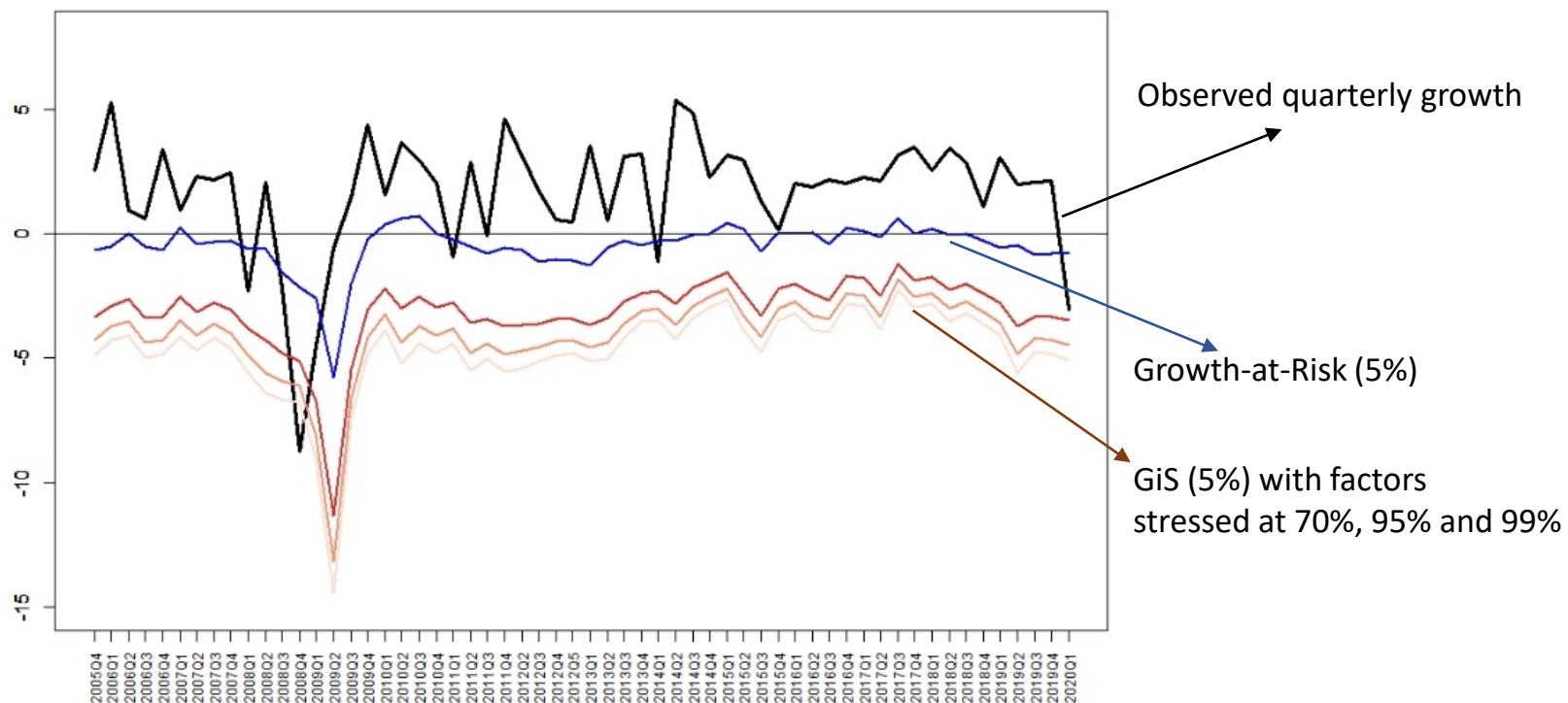
Note: The local financial factor extracted from X_1 , NFCl, is not relevant once all other variables are considered.

Factor-augmented Quantile Regression (one-step-ahead)

$$q_{\tau}(y_{t+1}|t) = \mu_{\tau} + \phi_{\tau} y_t + \sum_{i=1}^5 \beta_{\tau,i} F_{it} + v_{\tau,t+1}$$

| | $\tau = 0.05$ | $\tau = 0.5$ | $\tau = 0.95$ |
|-----------|------------------------|------------------------|------------------------|
| μ | -2.62 (0.00) | 2.04 (0.00) | 4.33 (0.00) |
| ϕ | 0.15 (0.00) | -0.19 (0.37) | -0.24 (0.01) |
| β_1 | 0.68 (0.00) | 0.45 (0.38) | 1.30 (0.00) |
| β_2 | 2.19 (0.01) | -0.01 (0.99) | 0.62 (0.00) |
| β_3 | -1.20 (0.01) | -0.87 (0.03) | -1.06 (0.00) |
| β_4 | -1.21 (0.03) | 0.48 (0.29) | 0.23 (0.21) |
| β_5 | 3.44 (0.00) | 0.58 (0.19) | -0.59 (0.00) |
| R^1 | 0.49 | 0.16 | 0.36 |

US Growth-in-Stress (GiS): Results



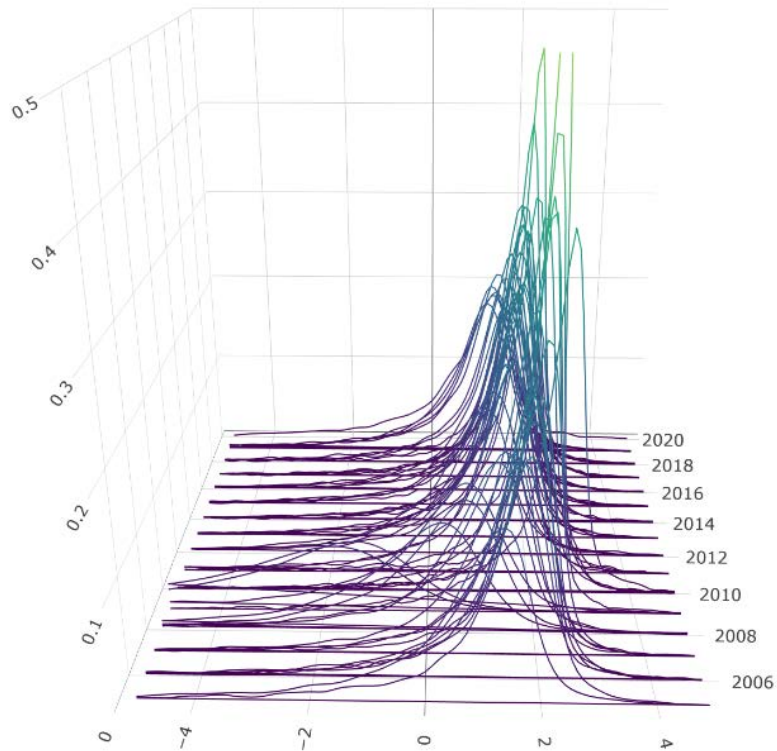
One-step-ahead GaR (5%) and GiS (5%) for 2020Q2

(-9.53%, IMF observed growth)

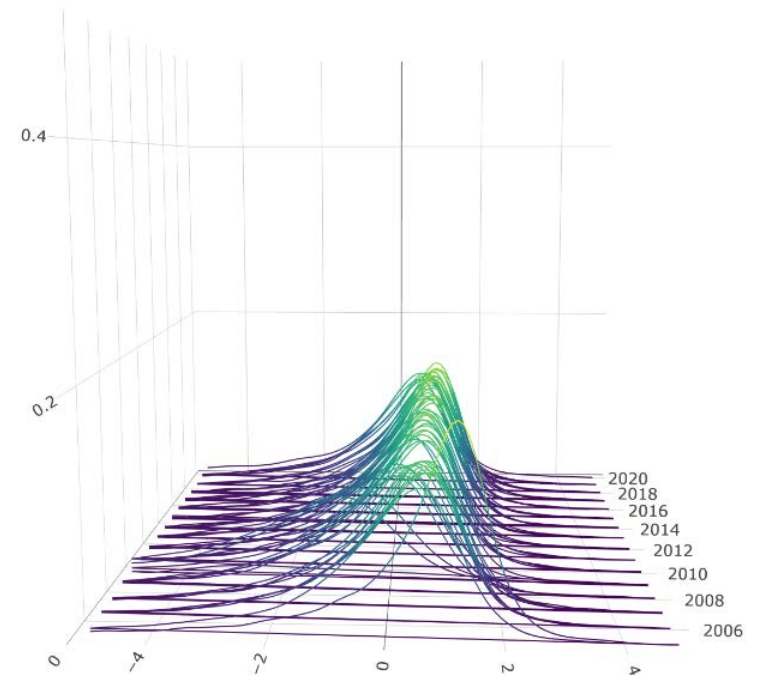
| | |
|---------|--------|
| GaR | -5.34 |
| GiS 70% | -10.01 |
| GiS 95% | -11.80 |
| GiS 99% | -12.84 |

US Growth-in-Stress (GiS): Policy Tools

Growth densities (ML-DFM) with factors centered at their means



Growth densities (ML-DFM) with stressed factors at 95% level



By choosing different levels of stress, GiS helps policy makers to deal with the trade-off between **building greater resilience** in normal times and **reducing downside risk** in highly stressed periods.

Final Thought

